

Primary activity standardization of ^{134}Cs

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Overview

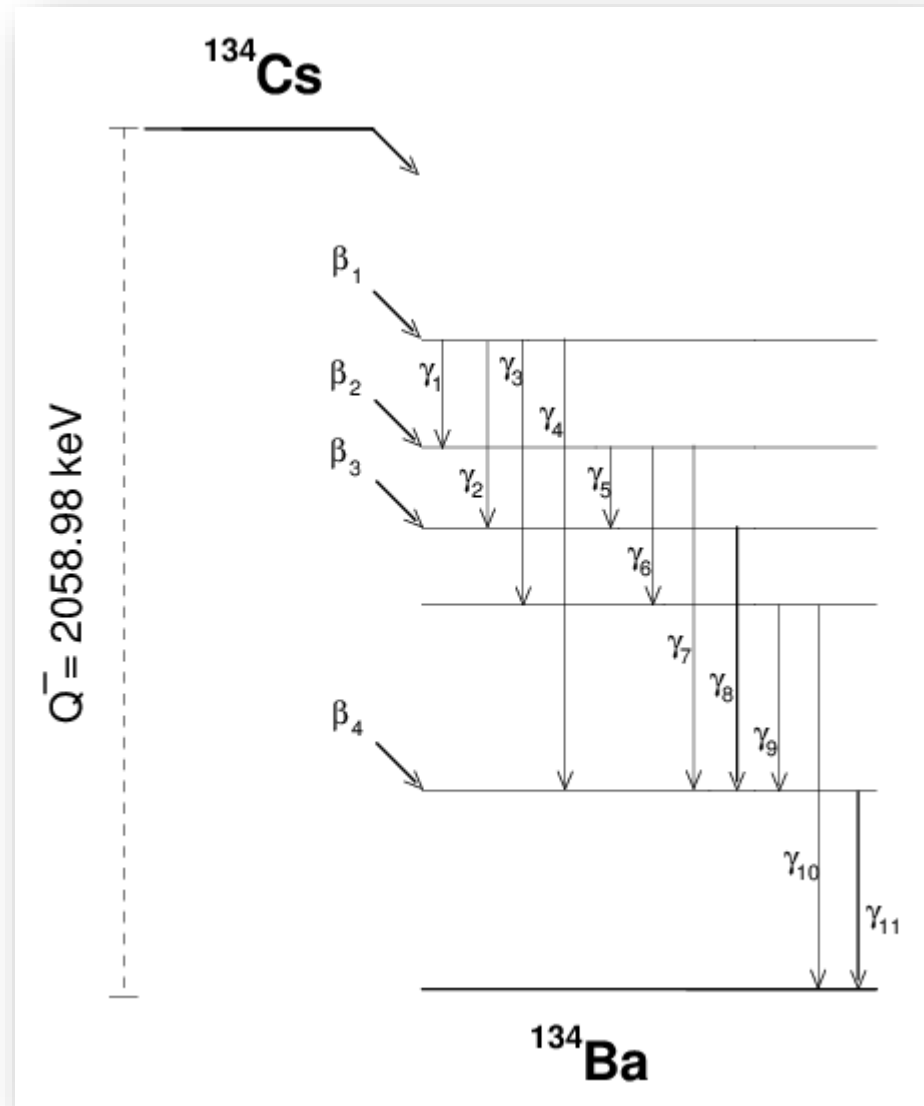
- Motivation
- Measurements
- Analysis
- Results
- Summary

Motivation

Motivation

^{134}Cs is an important isotope for calibration in gamma-ray spectrometry.

^{134}Cs can also be used as tracer for activity determination of ^{137}Cs .



Electron capture with 0.0003% probability is neglected.

Measurements

CIEMAT/NIST efficiency tracing

Counters for CIEMAT/NIST efficiency tracing:

- Wallac 1414
- TriCarb 2800 (TriCarb 2810 unuseable)

Efficiency variation by means of chemical quenching

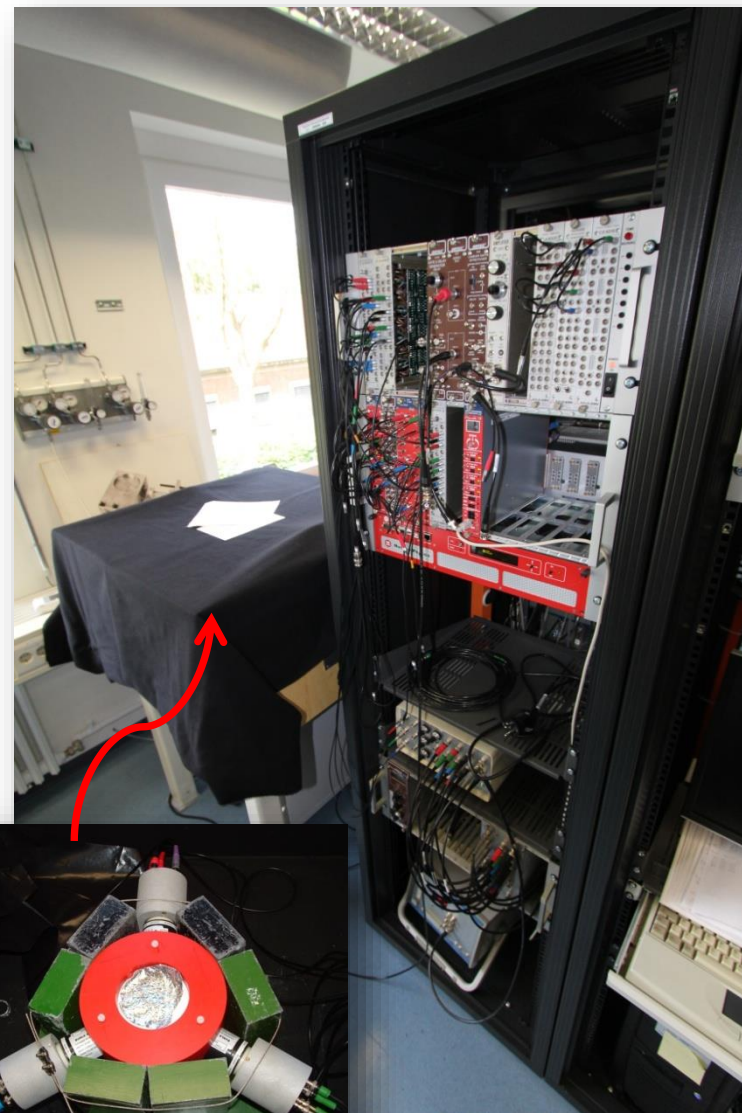


TDCR

Counters for TDCR:

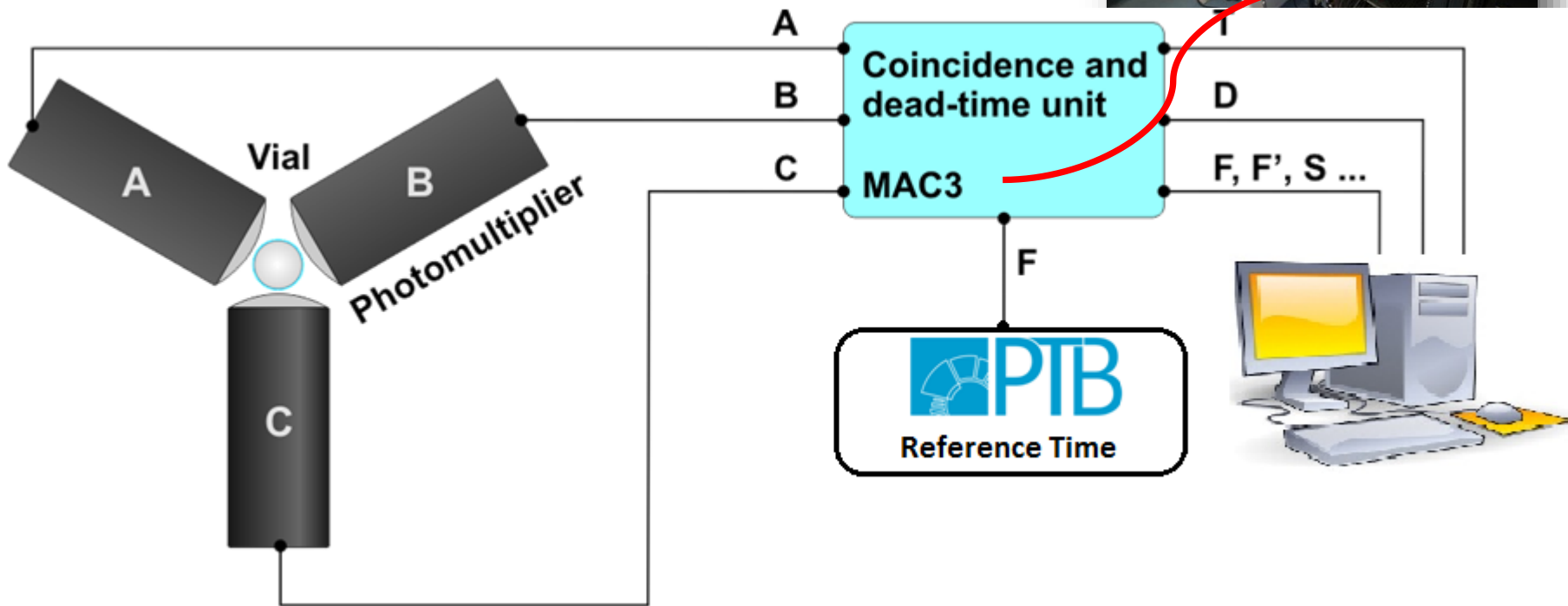
- TDCR (M27)
- TDCR (M29)

Efficiency variation by means of chemical quenching



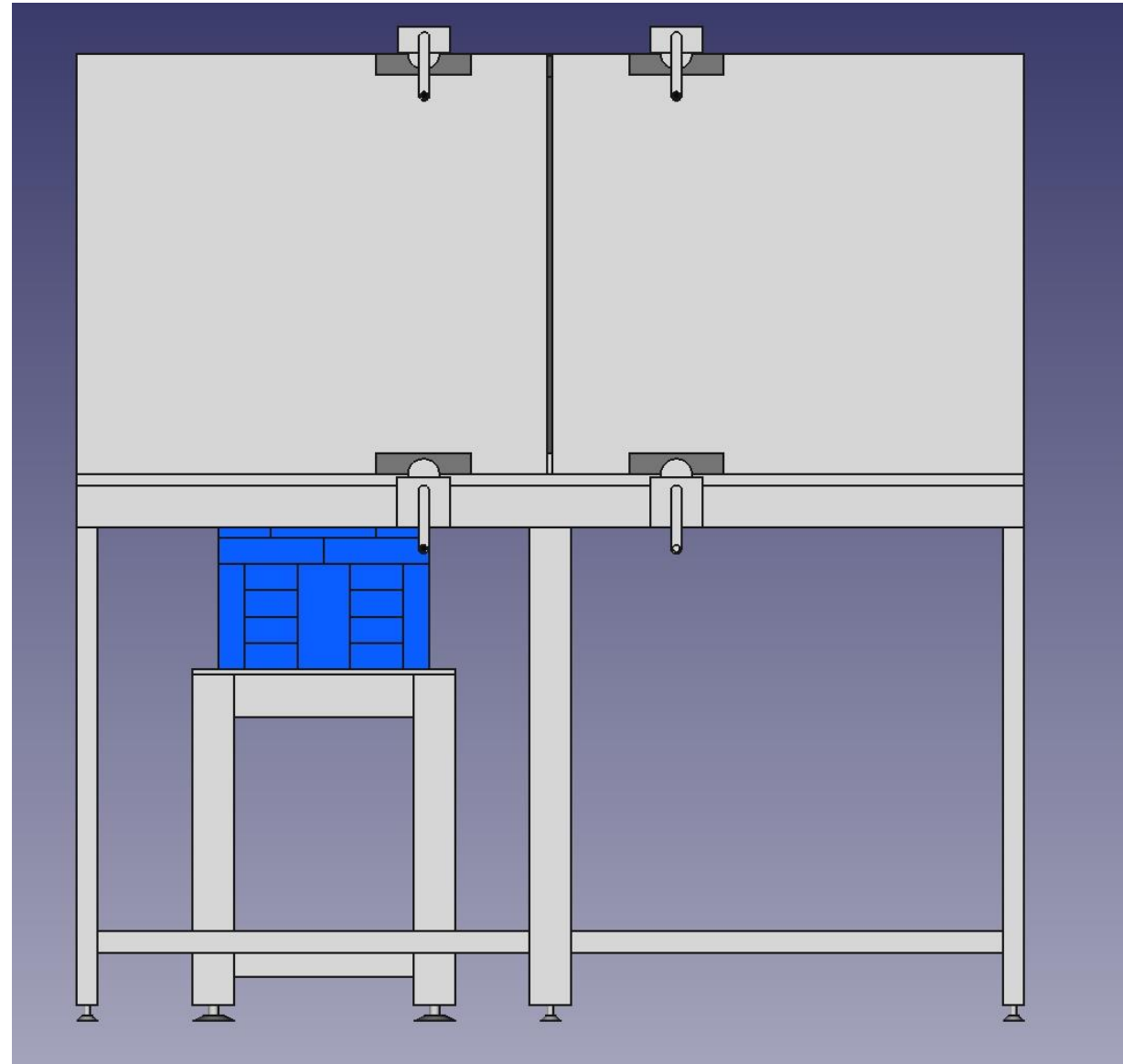
TDCR

TDCR (M27)



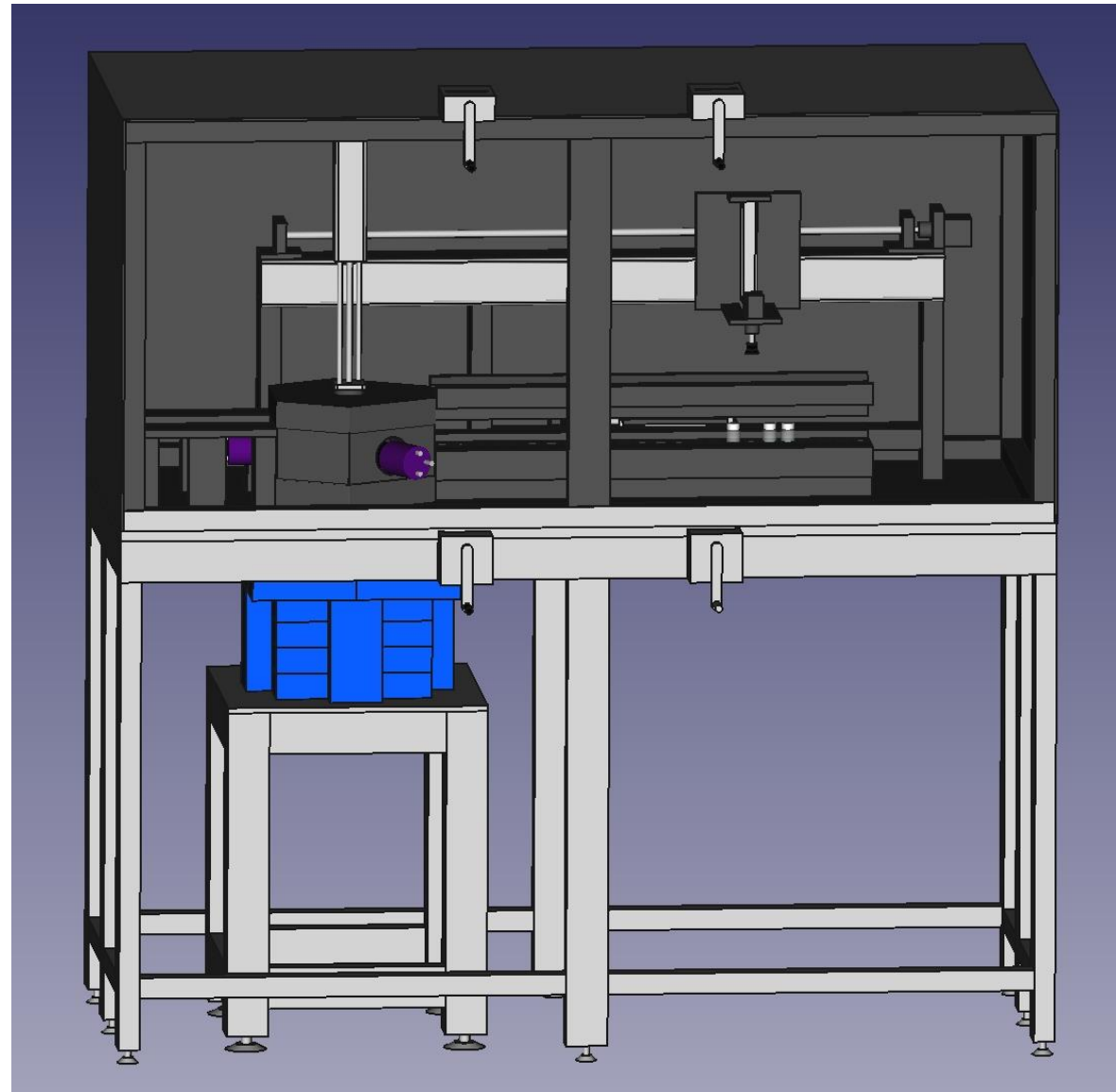
TDCR and $4\pi\beta\gamma(\text{LS})\text{-CC}$

TDCR (M29)



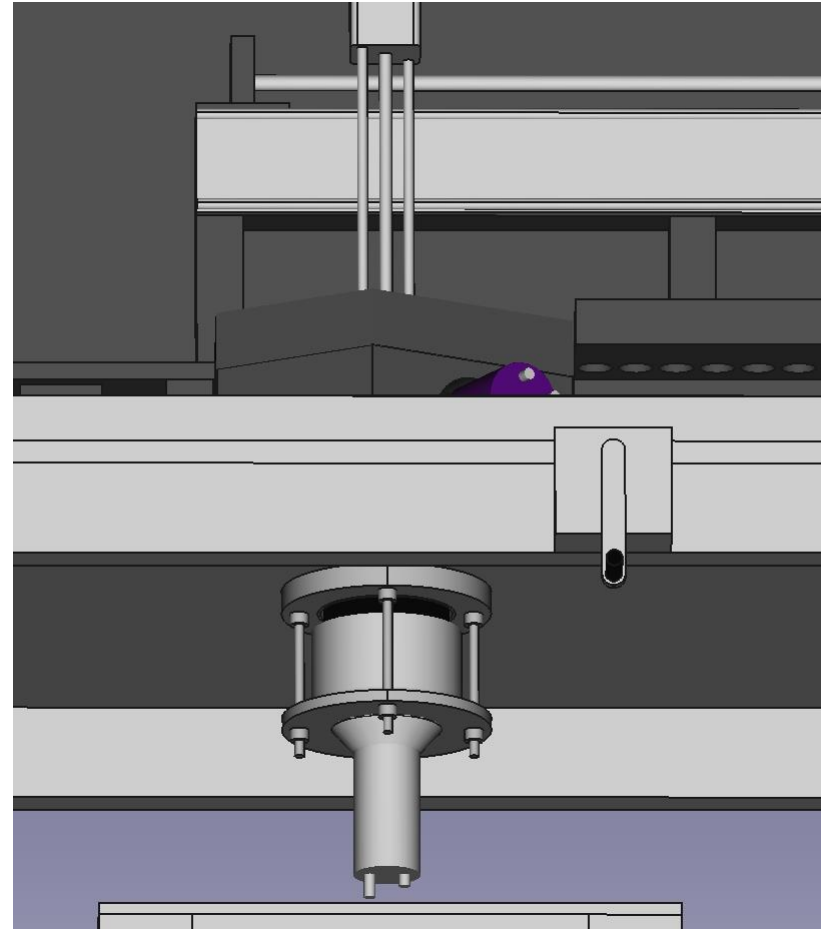
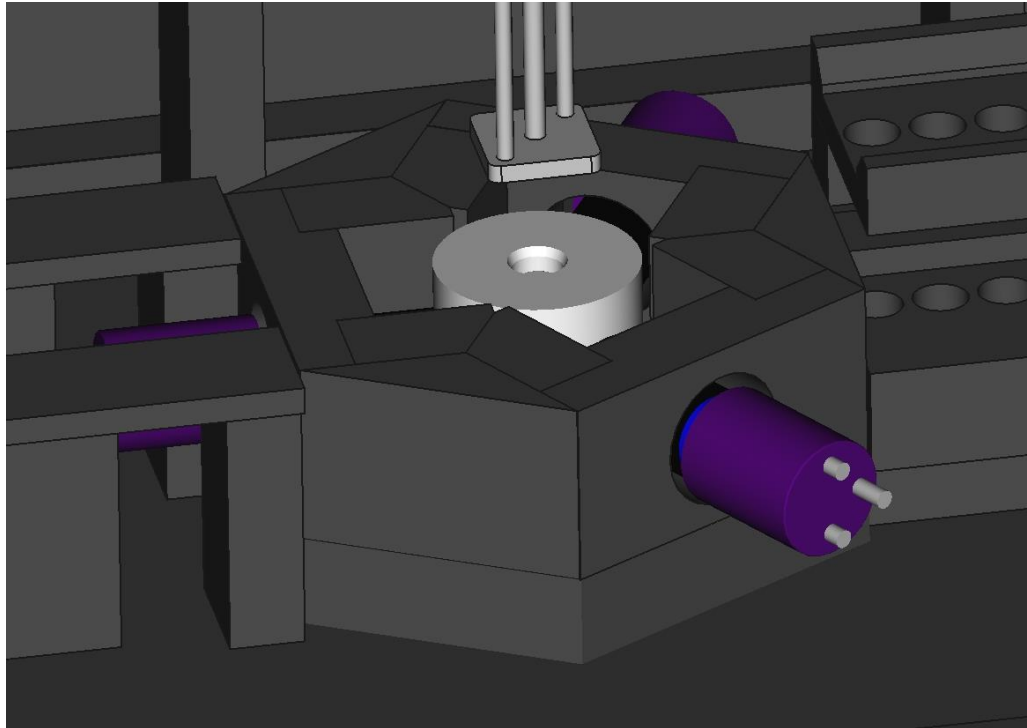
TDCR and $4\pi\beta\gamma(\text{LS})\text{-CC}$

TDCR (M29)



TDCR and $4\pi\beta\gamma(\text{LS})\text{-CC}$

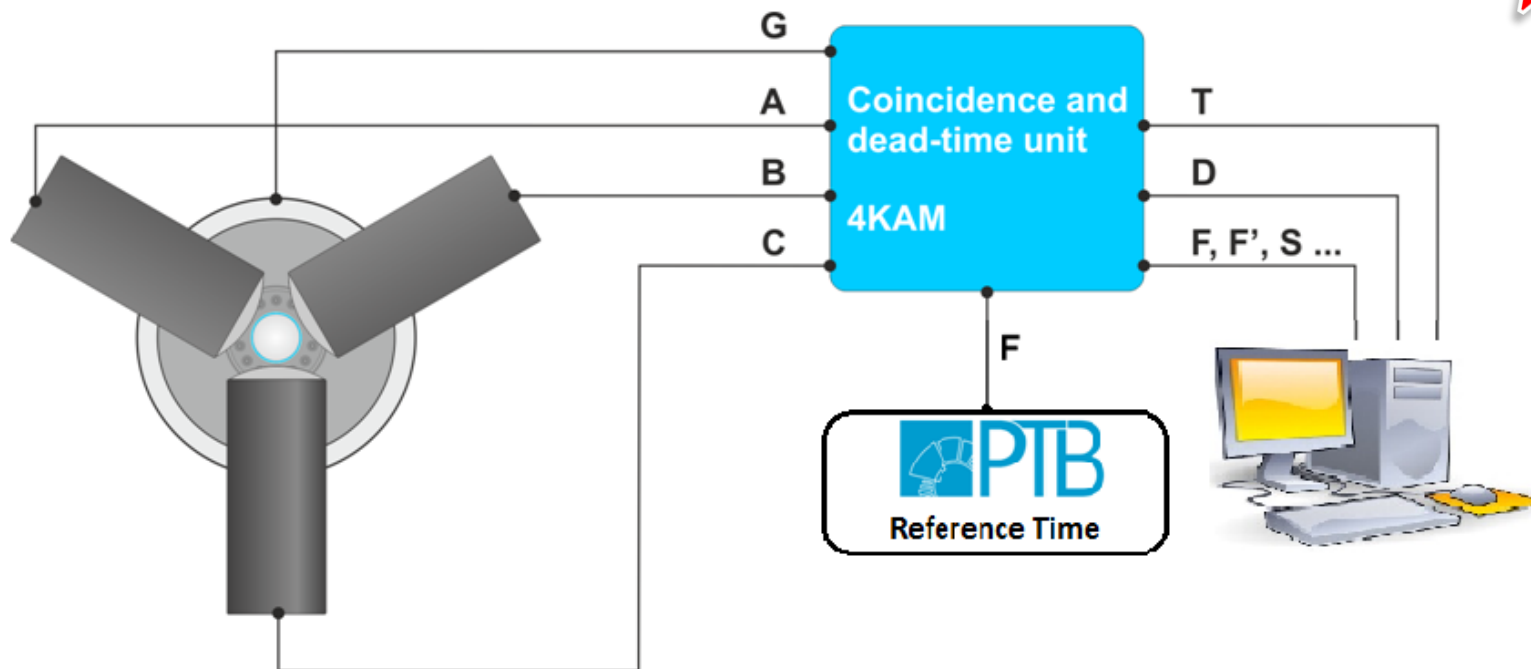
TDCR (M29)



TDCR and $4\pi\beta\gamma$ (LS)-CC

TDCR (M29)

New!



β -double coincidence

$D=AB$ or BC or AC

β -triple coincidence

$T=ABC$

β - γ -coincidence

$DG = (AB$ or BC or $AC)G$

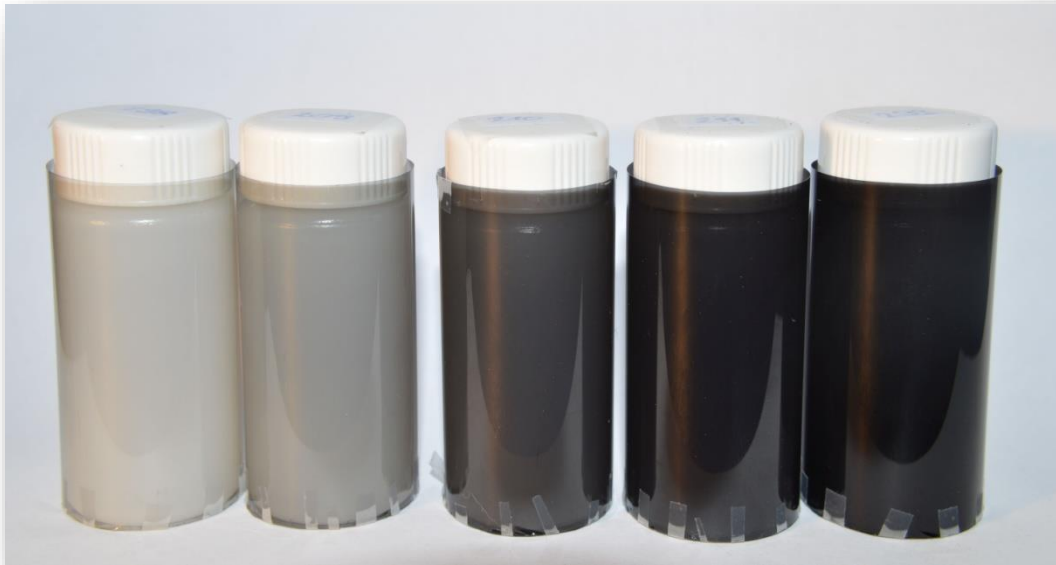
$TG = ABCG$

$4\pi\beta\gamma(\text{LS})\text{-CC}$

System with LS counter

- $4\pi\beta(\text{LS})\text{-}\gamma$ (M29)

Efficiency variation by means of grey filters



Coincidence counting with PC

System with proportional counter (PC):

- $4\pi\beta(\text{PC})-\gamma$ (M1)

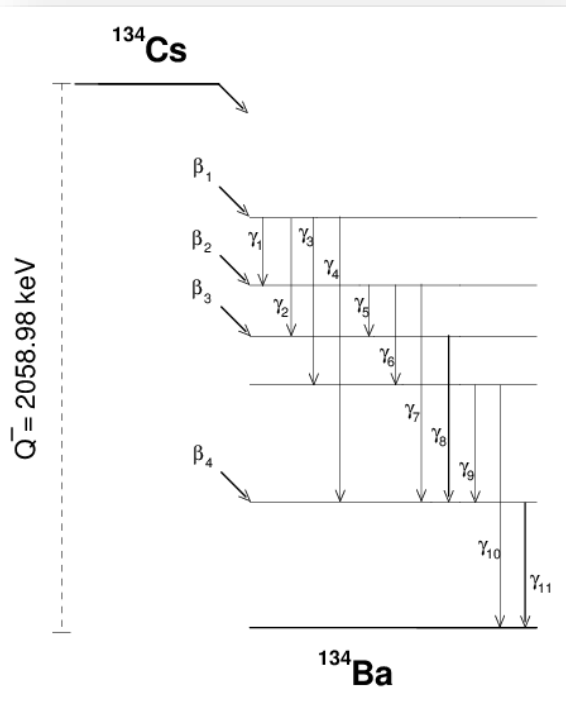
Efficiency variation using absorbing foils



Analysis

Efficiency computation

Efficiency calculations for TDCR and CIEMAT/NIST method with stochastic model taking into account 14 cascades

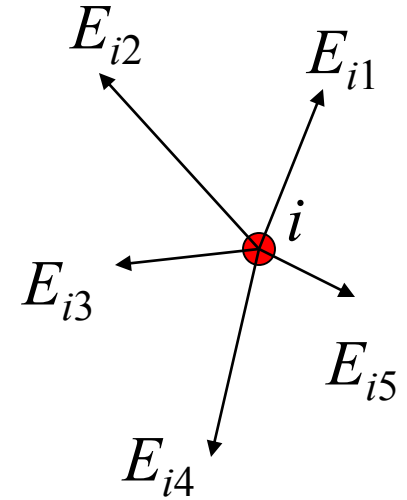


Nr.	P in %	Components with energies in parentheses
1	70.1774	$\beta_3(658.39 \text{ keV}), \gamma_8(795.8677 \text{ keV}), \gamma_{11}(604.7232 \text{ keV})$
2	0.986	$\beta_2(415.64 \text{ keV}), \gamma_7(1038.6137 \text{ keV}), \gamma_{11}(604.7232 \text{ keV})$
3	0.06	$\beta_4(1454.26 \text{ keV}), \gamma_{11}(604.7232 \text{ keV})$
4	1.2242	$\beta_2(415.64 \text{ keV}), \gamma_6(475.368 \text{ keV}), \gamma_9(563.2457 \text{ keV}), \gamma_{11}(604.7232 \text{ keV})$
5	1.5332	$\beta_1(89.06 \text{ keV}), \gamma_3(801.953 \text{ keV}), \gamma_{10}(1167.968 \text{ keV})$
6	3.0213	$\beta_1(89.06 \text{ keV}), \gamma_4(1365.1987 \text{ keV}), \gamma_{11}(604.7232 \text{ keV})$
7	0.007	$\beta_1(89.06 \text{ keV}), \gamma_1(326.585 \text{ keV}), \gamma_7(1038.6137 \text{ keV}), \gamma_{11}(604.7232 \text{ keV})$
8	0.026	$\beta_2(415.64 \text{ keV}), \gamma_5(242.746 \text{ keV}), \gamma_8(795.8677 \text{ keV}), \gamma_{11}(604.7232 \text{ keV})$
9	7.1847	$\beta_1(89.06 \text{ keV}), \gamma_3(801.953 \text{ keV}), \gamma_9(563.2457 \text{ keV}), \gamma_{11}(604.7232 \text{ keV})$
10	0.2613	$\beta_2(415.64 \text{ keV}), \gamma_6(475.368 \text{ keV}), \gamma_{10}(1167.968 \text{ keV})$
11	15.5082	$\beta_1(89.06 \text{ keV}), \gamma_2(569.2457 \text{ keV}), \gamma_8(795.8677 \text{ keV}), \gamma_{11}(604.7232 \text{ keV})$
12	0.0087	$\beta_1(89.06 \text{ keV}), \gamma_1(326.585 \text{ keV}), \gamma_6(475.368 \text{ keV}), \gamma_9(563.2457 \text{ keV}), \gamma_{11}(604.7232 \text{ keV})$
13	0.0019	$\beta_1(89.06 \text{ keV}), \gamma_1(326.585 \text{ keV}), \gamma_6(475.368 \text{ keV}), \gamma_{10}(1167.968 \text{ keV})$
14	0.0002	$\beta_1(89.06 \text{ keV}), \gamma_1(326.585 \text{ keV}), \gamma_5(242.746 \text{ keV}), \gamma_8(795.8677 \text{ keV}), \gamma_{11}(604.7232 \text{ keV})$

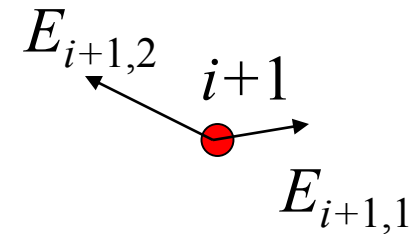
The stochastic model

The triple counting efficiency in TDCR

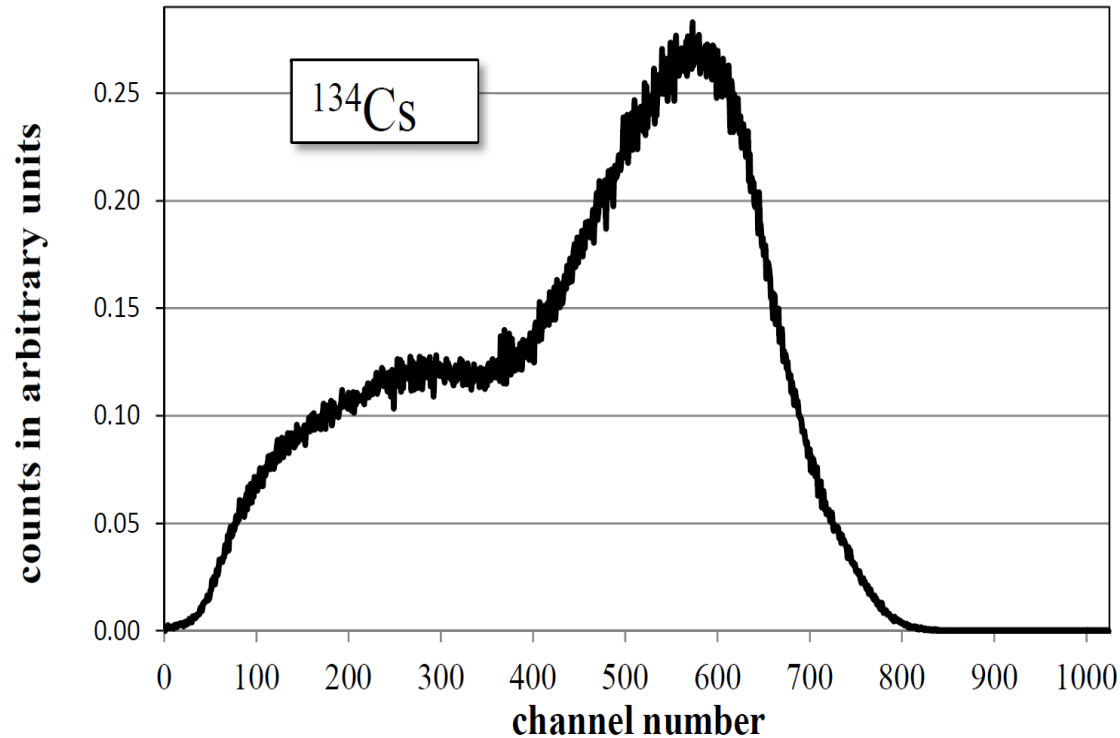
$$\varepsilon_T(\lambda) = \sum_{i=1}^N \left\{ 1 - \exp \left[\frac{-\sum_{l=1}^{M_i} E_{il} Q(E_{il})}{3\lambda} \right] \right\}^3 / N$$



- N Number of simulated decay events
- M_i Number of electrons in decay event i
- E_{il} Energy of electrons l , which was ejected in decay event i



LSC: analysis



CIEMAT/NIST efficiency tracing was analysed with an analytical approach and with the stochastic approach. Relative deviation: lower than 0.01 %.

The long-term stability might be better when using HiSafe III instead of Ultima Gold (García-Toraño et al. (2002)).

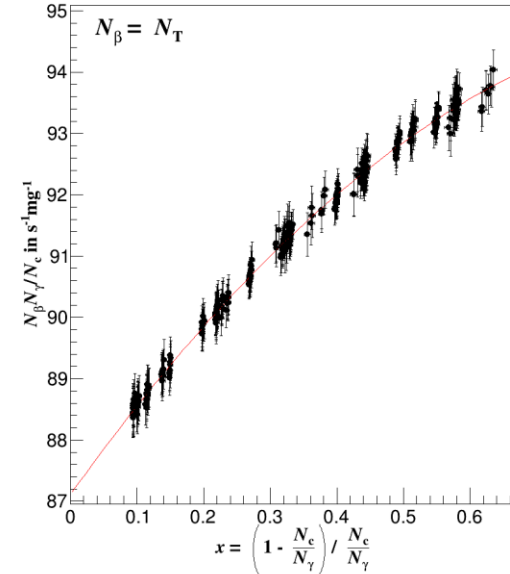
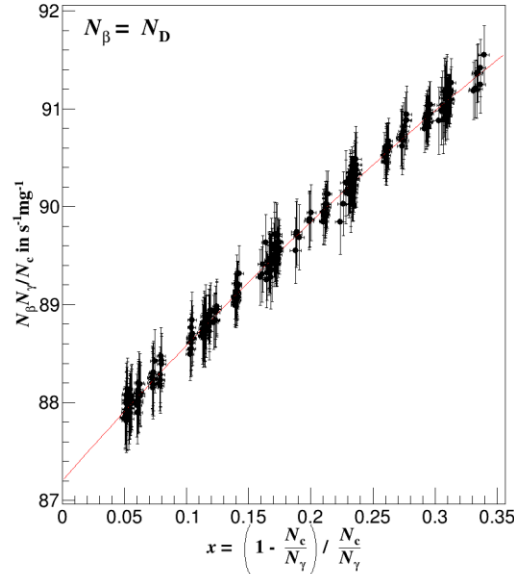
CC: analysis

$4\pi\beta(\text{LS})-\gamma$

Left: $N_\beta = N_D$

Right: $N_\beta = N_T$

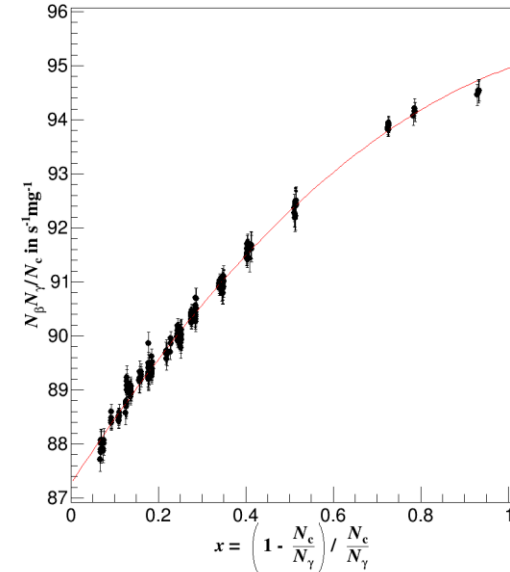
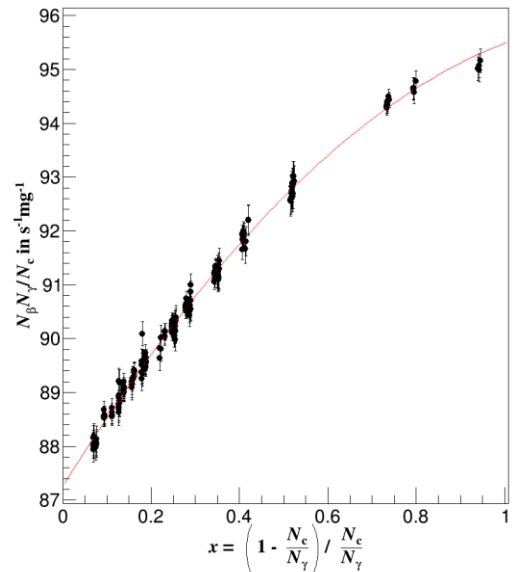
Efficiency variation using ND filters



$4\pi\beta(\text{PC})-\gamma$

Left: γ energy range only with main peaks

Right: γ energy range “open”



Results

Uncertainties for ^{134}Cs

Component	$u(a)/a$ in %			
	CIEMAT/ NIST	TDCR	$4\pi\beta(\text{PC})-\gamma$ CC	$4\pi\beta(\text{LS})-\gamma$ CC
Counting statistics	0.02	0.01	0.11*	0.07*
Weighing	0.03	0.03	0.04	0.03
Dead time	0.10	0.03	negligible	0.20
Background	0.05	0.03	0.02	0.03
Resolving time	-	-	negligible	0.20
Counting time	0.01	0.01	negligible	negligible
Adsorption	0.05	0.05	0.05	0.05
Decay correction	<0.01	<0.01	<0.01	<0.01
Extrapolation of efficiency curve	-	-	0.07	0.07
Impurities (no radioactive impurity detected)	<0.03	<0.03	<0.03	<0.03
^3H tracer activity and interpolation of efficiency curve	0.06	-	-	-
TDCR value and interpolation of efficiency curve	-	0.10	-	-
Model and decay data	0.20	0.20	negligible	negligible
Ionization quenching and kB value	0.06	0.10	-	-
PMT asymmetry	0.07	0.05	-	-
Sample (in)stability	0.05	0.05	-	-
Fitting deviation (see text)	-	-	0.19	0.15
Square root of the sum of quadratic components	0.27	0.27	0.25	0.35

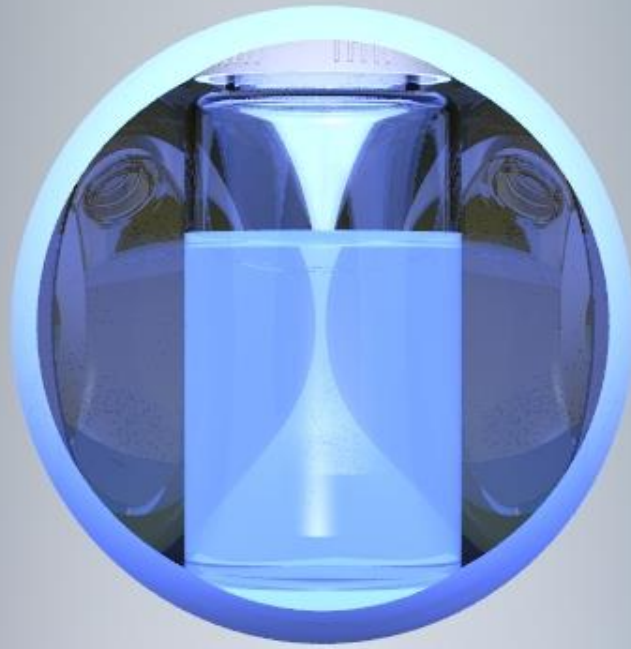
Final result for ^{134}Cs

Method	a in kBq/g	Relative deviation from final result
TDCR (mean of results from 2 counters: 87.14 kBq/g and 87.03 kBq/g)	87.08(24)	-0.08%
CIEMAT/NIST	87.08(24)	-0.08%
$4\pi\beta(\text{PC})-\gamma\text{-CC}$	87.22(22)	+0.08%
$4\pi\beta(\text{LS})-\gamma\text{-CC}$	87.24(31)	+0.10%
Final result	87.15(22)	-

Summary

Summary

- The results of 4 methods are in good agreement.
- The results of the (pure) LS methods are slightly lower which is likely due to the decay data (beta spectra).
- The lowest uncertainty is obtained with $4\pi(\text{PC})\beta\text{-}\gamma$ coincidence counting
- The $4\pi(\text{LS})\beta\text{-}\gamma$ coincidence counting needs further research and development at PTB (timing between beta and gamma channel and shape of extrapolation curves).



Questions?